

Assignment 2 (Problem 1).

1.

- 1) $\pi_{\text{Pname}}\{\text{Presidents}\}$
- 2) $\pi_{\text{Jname}}\{\sigma_{(\text{LawSchool}=\text{Yale} \text{ OR } \text{LawSchool}=\text{Harvard})}(\text{Judges})\}$
- 3) $\text{Yale_Pres} \leq \pi_{\text{Pname}}\{[\pi_{\text{Jname}}\{\sigma_{(\text{LawSchool}=\text{Yale})}(\text{Judges})\} * \text{Appoints}]\}$
 $\text{Harv_Pres} \leq \pi_{\text{Pname}}\{[\pi_{\text{Jname}}\{\sigma_{(\text{LawSchool}=\text{Harvard})}(\text{Judges})\} * \text{Appoints}]\}$
 $\text{Multi} \leq \rho_{n1(\text{jnameY})}(\text{Yale_Pres}) \text{ (cross) } \rho_{n2(\text{jnameH})}(\text{Harv_Pres})$
 $\text{Result} \leq \pi_{\text{JnameY}}\{\sigma_{(\text{jnameY}=\text{jnameH})}(\text{Multi})\}$

Note: another way to do this is to use intersection.

- 4) $\text{num_judges} \leq \{\text{law_school} \bowtie_{\text{count}(\text{jname})}(\text{judges})\}$
- 5) $\text{pairs} \leq \rho_{n1(\text{jname1}, \text{lawSchool1})}(\pi_{\text{Jname}, \text{LawSchool}}\{\text{Judges}\}) \text{ (cross) } \rho_{n2(\text{jname2}, \text{lawSchool2})}(\pi_{\text{Jname}, \text{LawSchool}}\{\text{Judges}\})$
 $\text{result} \leq \pi_{\text{Jname1}, \text{Jname2}}\{\sigma_{(\text{lawSchool1}=\text{lawSchool2})}(\text{pairs})\}$

Note: Make sure you use pairs with conditions that judges names are different but law school is the same.

- 6) $\text{j_not_yale} \leq \pi_{\text{Jname}}\{\sigma_{(\text{LawSchool} \neq \text{Yale})}(\text{Judges})\}$
 $\text{party_not_yale} \leq \pi_{\text{Party}}\{(\text{j_not_yale} * \text{Appoints}) * \text{Presidents}\}$
 $\text{all_party} \leq \pi_{\text{Party}}\{\text{Presidents}\}$
 $\text{party_only_yale} \leq \text{all_party} - \text{party_not_yale}$

Note: Key words here is only Yale. Therefore, you will need to subtract “not yale” from “all”

- 7) $\text{numjudge} \leq \rho_{n1(\text{pname}, \text{count})}(\text{pname} \bowtie_{\text{count}(\text{jname})}(\text{appoints}))$
 $\pi_{\text{pname}}\{\sigma_{(\text{count}=2)}(\text{numjudge})\}$

Note: When you use group functions, you may need to rename the columns in order to use it again.

- 8) $\text{all_pres} \leq \pi_{\text{pname}}\{\text{presidents}\}$
 $\text{app_pres} \leq \pi_{\text{pname}}\{\text{appoints}\}$
 $\text{no_appoints} = \text{all_pres} - \text{app_pres}$

Note: You cannot use group function here and test the count is zero. Because if the count is zero, it won't even appear in the table.

- 9) $\text{judge_count} \leq \rho_{n1(\text{pname}, \text{count})}(\text{pname} \bowtie_{\text{count}(\text{jname})}(\text{appoints}))$
 $\pi_{\text{pname}}\{\sigma_{(\text{count}>2)}(\text{judge_count})\}$

10) $\text{judges_republican} \leftarrow \pi_{\text{name, jdateofbirth, lawschool}} \{ [\sigma_{(\text{party} = \text{'republican'})}(\text{presidents}) * \text{appoints}] * \text{judges} \}$
 $\text{judges_not_oldest} \leftarrow \pi_{\text{judge1.jname}} \{ \rho_{\text{judge1}}(\text{judges_republican}) \text{ (join) } (\text{judge1.jdateofbirth} > \text{judge2.jdateofbirth}$
 $\text{AND judge1.lawschool} = \text{judge2.lawschool}) \rho_{\text{judge2}}(\text{judges_republican}) \}$
 $\text{judges_oldest_per_lawschool} = \pi_{\text{name}} \{ \text{judges_republican} \} - \text{judges_not_oldest}$

Note: Another way to handle this is to use aggregate function when finding the oldest judge, i.e., the one with the smallest birth date.